# Effects of Insularisation on Plant Species Richness in the Prairie-Forest Ecotone

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### ABSTRACT

Data on plants from five groups of remnant prairies and forests in the prairie-forest ecotone of the midwestern United States show that: (1)

large ones of equal total area. (2) No species are excluded from small sites. (3) Small sites tend to have surprisingly many species, and large

to conserve the most herb and shrub species. Specifically, we ask two questions. First, is species richness greater in a single large refuge or in an archipelago of small ones, where total area of the archipelago equals area of the large refuge? Second, how are individual species distributed among remnants of different sizes? To this end we examine five data sets:



species of 56 prairie remnants in Iowa and Minnesota (Glass, 1981).

- (2) The 152 herb and shrub species of 15 prairie remnants in Illinois (R. Clinebell, pers. comm.).
- (3) The 102 understorey herb species of 12 natural forest remnants in

	discussed in	Text. All Pro	babilities are l	ess than 0.01.	
	Data set	<i>R</i> <sup>2</sup>	F	Smallest site (ha)	
	(1) Total species (1) Goldentods	0.864	343 <sub>1,54</sub>	0.000 6	
	(1) Milkweeds	0.612	86 <sub>1,54</sub>	0.0021	
	(1) Legumes	0.789	2061.54	0.0006	
	(2)	0.535	171,13	0.025	
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	a significant relationsh	ip between	species rich	ness and area (Table	1).
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 TABLE 1

 Species-Area Statistics and Minimum Site Size (ha) for Two Data Sets discussed in Text. All Probabilities are less than 0.01.



randomly lumped together samples of pairs, trios, quartets, etc., of small remnants and compiled species lists of all species in each such random 'archipelago' (Table 2). Appendix 1 details the procedure. None of these random archipelagos was larger in area than the largest remnant. We then performed a multiple regression of number of species on area as first independent variable, number of remnants (including the single

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To test whether the distribution of observed minimum areas shows them to be surprisingly large even given the species-area relationship, we used a simulation. For each species i we rained simulated propagules down one at a time onto a set of S simulated buckets, with the size of each bucket proportional to the area of a given rempart. The simulation

pro eaci	pagule). This simulation h species the distribution pared by a Kolmogoro	was run ten times for each data se of observed sizes of occupied rem w-Smirnov test to the simulated	nants w expect
dist are spec	ribution. Numbers of sp given in Table 4. For da cies than one would have o unied remnants differs fro	ections that differ from expected at the sets (1)–(4) there are substanti- expected for which the distribution on that produced by a random mo	$Pr \le 0$ ally few of sizes del The
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and havend the versel empire and relationship. For est (6) then

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	Data set	Number of	Number of	$D_{mn}^{a}$	Pr	$D_{mn}^{b}$	Pr	
		species	rare species					
	2	152	45	0.313	< 0.01	0.165	> 0.10	

" Kolmogoroy-Smirnov test statistic; sites ranked by area.

36

31

36

102

116

84

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<sup>b</sup> Kolmogorov-Smirnov test statistic: sites ranked by number of non-rare species.

were proportional to site areas. For all four data sets, these two distributions differed significantly (Table 6), and always in the same 1.

0.301

0.395

0.267

< 0.01

< 0.01

< 0.01

0.203

0.104

0.104

> 0.10

>0.10

>0.10

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(MacArthur & Wilson, 1967) provides theoretical justification for such a choice. This strategy is suspect because:

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logical and statistical difficulties (Abele & Connor, 1979; Faeth & Conner, 1979).

Finally a surprising result common to all-four data sets that included

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in small remnants more frequently than a random colonisation model would have predicted, and in large remnants correspondingly less frequently than expected. Järvinen (1982) found a similar result for vascular plant species of the Åland Islands. He noted that, on average, more endangered plant species occur in groups of small islands than on single large ones.

Several possible explanations for this result come to mind, these are not

surprisingly often found in small sites is to be found in the answer to a mare general question: Why do small sites tend to have surprisingly many

species?

#### CONCLUSION

We conclude, then, that for these forest herb and prairie plant communities, over the size ranges of these remnants, the data clearly imply no justification for preserving single large sites rather than an archipelago of small ones, if such a choice is required. On average a greater species total and more rare species will occur in the archipelago, no species appear to be excluded from the archipelago, and there is no evidence that there will be a short- or long-term decline in species number in the archipelago, particularly if the total area and number of component island declarated.

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· Simulated Archipelagos of Several Remnants. Variables were Forced in a Stepwise Multiple

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ression formation	Intercept	$log_{10}(area)$ coefficient $(\Delta r^2)$	$log_{10}$ (number of remnants) coefficient $(\Delta r^2)$	Interaction coefficient $(\Delta r^2)$
√S	0.867	0.789, p < 0.01 (0.865)	$2 \cdot 378, p < 0.01$ (0.020)	-0.374, p < 0.01
)g <sub>10</sub> S	1·72	0.142, p < 0.01 (0.714)	0.200, p < 0.01 (0.091)	-0.006, p = 0.96
3810 S	1-33	$0.184^{2}_{p} < 0.01$ (0.436)	0.750, p < 0.01 (0.282)	-0.302, p = 0.42 (0.008)
•8 <sub>10</sub> S	1·26	0.194, p < 0.01 (0.615)	0.815, p < 0.01	-0.266, p = 0.05 (0.014)
Ś	3.30	0-952, <i>p</i> < 0-01 (0-346)	1.133, p < 0.01 (0.112)	2.041, p = 0.39 (0.006)

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ensure independence among combinations, but there were too few remnants, so remnants were used in more than one combination. A potential artefact of lumping many small remnants is that combined





is the critical area above which there will be diminishing returns for adding remnants. For data set 1, the coefficients yield  $X_1 = 228 \cdot 19$  ha and  $X_2 = 128$  remnants. For data set 4,  $X_1 = 5 \cdot 36$  ha and  $X_2 = 1158$  remnants. This critical size for data set 4 is smaller than 68 % of the single remnants. Above a total area of  $5 \cdot 36$  ha, there will be a smaller increase in species richness for each remnant that is added. However, these numerical coefficients must not be interpreted literally, because the results depend on the simulation structure.